

## Determining the density of air

### Objects of the experiments

- Measuring the mass of the open glass sphere filled with air.
- Measuring the mass of the evacuated glass sphere.
- Determining the density of air from the mass difference and the volume of the glass sphere.

### Principles

Depending on the state of aggregation of a homogeneous substance, different methods are applied to determine its density

$$\rho = \frac{m}{V} \quad (I)$$

$m$ : mass,  $V$ : volume

In most cases, the mass and the volume are measured separately.

In this experiment, the density of air in a glass sphere of known volume  $V$  is determined. The mass  $m$  of the air enclosed in the sphere is determined from the mass difference between the total mass  $m_1$  of the sphere filled with air and the mass  $m_2$  of the empty (evacuated) sphere:

$$m = m_1 - m_2 \quad (II)$$

### Apparatus

1 sphere with 2 cocks . . . . .	379 07
1 school and lab. balance 311, 311 g . . . .	315 05
1 hand vacuum and pressure pump . . . . .	375 58
1 support ring for round-bottom flasks, 250 ml	667 072

### Setup and carrying out the experiment

The experimental setup is illustrated in Fig. 1.

- Put the sphere with 2 cocks on the scale pan, open one cock (a), and determine the total mass  $m_1$  (see Fig. 1 left).

- Connect the hand vacuum and pressure pump, and evacuate the sphere with 2 cocks as far as possible (see Fig. 1 middle, the hand vacuum and pressure pump displays the differential pressure  $\Delta p$  relative to the outside air pressure).
- Close the open cock (a), and remove the hand vacuum and pressure pump.
- Put the sphere with 2 cocks on the scale pan again, and determine the mass  $m_2$  of the empty sphere (see Fig. 1 right).

### Measuring example

Total mass:  $m_1 = 253.94 \text{ g}$   
 Mass of the empty sphere \*:  $m_2 = 252.83 \text{ g}$   
 \*: measured at  $p = 1000 \text{ mbar} - \Delta p = 50 \text{ mbar}$

### Evaluation

Mass of the enclosed air:  $m = 1.11 \text{ g}$

Volume of the enclosed air:  $V = 1000 \text{ ml} = 1000 \text{ cm}^3$

From Eq. (I) we obtain  $\rho = 0.0011 \frac{\text{g}}{\text{cm}^3} = 1.1 \frac{\text{kg}}{\text{m}^3}$

Value quoted in the literature:

$\rho = 1.29 \frac{\text{kg}}{\text{m}^3}$  (density of dry air under normal conditions)

### Results

Air, too, has a density. Under normal conditions it is approximately one thousandth the density of water.

Fig. 1 Experimental setup for determining the density of air

